A Rectangular sluice gate (4m wide and 6m long) hinged at point o as shown in fig. the gate is kept close by a weight fixed to the gate. Total weight of gate is 1500 kN (weight of gate and weight fixed to gate). The center of gravity of the weight and gate is at G. Calculate depth of Water (h) so that cause the gate open.

aver ag gate
$$A = 6x4 = 24m^2$$

 $\overline{h} = h - 6a^1$
 $= h - (0a^1 - 06^1)$
 $\sin 4s^2 = 0a^1 = 0a^1$ $GA^1 = 6sin 4s^2$
 $= 4.2426m$ $0A^1 = 06^1 + 6a^1$
 $for 4s^2 = 06^1$ $06^1 = 1.2 + mas^2$ $6a^1 = 0A^1 - 06^1$
 $\overline{h} = h - (4.2426 - 1.2) = h - 3.0426$
 $10ted$ Preasure force
 $F = 23A\overline{h}$
 $= 1000 \times 9.81 \times 24 \times (h - 3.0426)$
 $e^{2}35.44(h - 3.0426) \times M$
Course ag Preasure (h^*)
 $h^* = I \frac{GS}{h} \frac{Sin^2}{24x(h - 3.0426)} + (h - 3.0426)$
 $h^* = \frac{1.6}{h - 3.0426} + (h - 3.0426)$
 $h^* = \frac{1.6}{h - 3.0426} + (h - 3.0426)$
 $bis X_{1,2} = 235.44(h - 3.0426) \times 0P$

$$W \times GG = F \times OP$$

1500 × 1.2 = 235.44(h - 3.0426) × OP

chapter3 Page 1

$$OP = \frac{7.6452}{h-3.0426} - (I)$$

$$Sin46^{2} = \frac{OP}{OP}$$

$$OP = OP' \times 1.42$$

$$= (h^{*} - \bar{h} + 0G') 1.42$$

$$= 1.42 \left[\frac{1.5}{h-3.0426} + (h-3.0426) - (h-3.0426) + 1.2 \right]$$

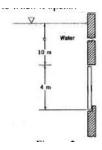
$$= 1.42 \left[\frac{1.5}{h-3.0426} + 1.2 \right] - (I)$$

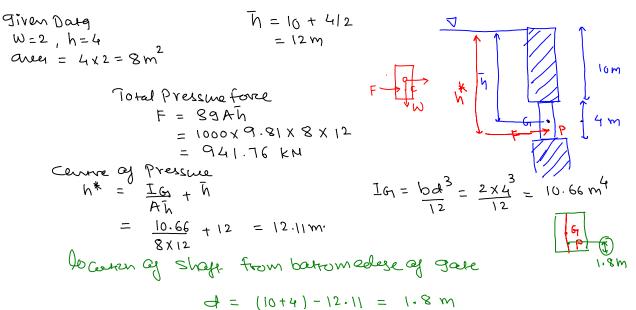
$$\frac{7.6452}{h-3.0426} = 1.42 \left[\frac{1.5}{h-3.0426} + 1.2 \right]$$

$$7.6452 = 1.42 \left[(1.5 + 1.2) - (I) \right]$$

$$\left[h = 6.2977 m \right]$$

A rectangular gate that is 2 m wide is located in the vertical wall of a tank containing water as shown in figure.2. It is desired to have the gate open automatically when the depth of water above the top of the gate reaches 10 m. (a) At what distance "d" should the frictionless horizontal shaft be located? (b) What is the magnitude of the force on the gate when it opens?





φ.2